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Code ▾

# Tree-Based Differential Item Functioning (DIF) using Partial Credit Model

2022-10-19

## Data Source

Real-world data to demonstrate the implementation of the methods discussed in this workshop were from a population-based Joint Replacement Registry for patients having a total or partial hip or knee replacement.

We selected 1391 individuals who had a total hip replacement and provided complete responses to the SF-12 (version 2) physical and mental components items prior to undergoing surgery (i.e., at the baseline clinic visit).

## Objective

To test for DIF by age and sex on the physical and mental component items of the SF-12

## Packages and Functions to Test for Tree-Based DIF in R

We would explore the **pctree** functions in the psychotree package.

Install the following packages, if not previously installed.

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```
# install.packages(c("tidyverse", "mirt", "psychotree", "partykit", "strucchange"))
```

## Load the Libraries

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```
library(tidyverse) # For data manipulation
library(psychotree) # For tree-based DIF Test
library(mirt) # For traditional PCM
library(strucchange) # For structural change test
```

Load the dataset and carry out the necessary data manipulation

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```
tha_data <- read_csv("SF12health_Complete_Hip.csv")

# glimpse(tha_data)

allitems_sex_age <- c("SF1_PH", "SF2A_PH", "SF2B_PH", "SF3A_PH",
                      "SF3B_PH", "SF4A_MH", "SF4B_MH", "SF5_PH",
                      "SF6A_MH", "SF6B_MH", "SF6C_MH", "SF7_MH", "Sex", "age")

allitems <- c("SF1_PH", "SF2A_PH", "SF2B_PH", "SF3A_PH",
             "SF3B_PH", "SF4A_MH", "SF4B_MH", "SF5_PH",
             "SF6A_MH", "SF6B_MH", "SF6C_MH", "SF7_MH")

tha_data_sx_ag <- tha_data[, allitems_sex_age]
tha_data_sx_ag$Sex <- factor(tha_data_sx_ag$Sex, levels = c(0,1),
                             labels = c("Female", "Male"))
```

Assumption: We assume that the PH and MH dimensions are unidimensional.

Select items associated with PH and MH

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```
tha_data_sx_ag$PH <- data.matrix(tha_data_sx_ag[, c(1, 2, 3, 4, 5, 8)])
tha_data_sx_ag$MH <- data.matrix(tha_data_sx_ag[, c(6, 7, 9, 10, 11, 12)])

# Recode the response usch that the minimum response becomes 0
# This is because of how the pctree function was developed.
# You can try not recoding and see warning you would get.

tha_data_sx_ag$PH <- data.matrix(tha_data_sx_ag[, c(1, 2, 3, 4, 5, 8)]) - 1
tha_data_sx_ag$MH <- data.matrix(tha_data_sx_ag[, c(6, 7, 9, 10, 11, 12)]) - 1
```

Before we proceed to test DIF using partial credit model (PCM) tree-based method, we would fit a conventional PCM to our data and assess the fit.

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```
#----- PCM -----
mirtPHpcm <- mirt(data = tha_data_sx_ag$PH,
                     model = 1, # Default is 1, indicating that a
                     unidimensional model wi
ll be fitted
                     itemtype = "Rasch",
                     SE = TRUE,
                     verbose = FALSE)

mirtMHpcm <- mirt(data = tha_data_sx_ag$MH,
                     model = 1, # Default is 1, indicating that a
                     unidimensional model wi
ll be fitted
                     itemtype = "Rasch",
                     SE = TRUE,
                     verbose = FALSE)

# Obtain the model parameters
coefPHpcm <- coef(mirtPHpcm, IRTpars = T, simplify=TRUE)
coefMHpcm <- coef(mirtMHpcm, IRTpars = T, simplify=TRUE)
```

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```
## print the model parameters
mirtPHpcm
```

```
##  
## Call:  
## mirt(data = tha_data_sx_ag$PH, model = 1, itemtype = "Rasch",  
##       SE = TRUE, verbose = FALSE)  
##  
## Full-information item factor analysis with 1 factor(s).  
## Converged within 1e-04 tolerance after 29 EM iterations.  
## mirt version: 1.37.1  
## M-step optimizer: nlminb  
## EM acceleration: Ramsay  
## Number of rectangular quadrature: 61  
## Latent density type: Gaussian  
##  
## Information matrix estimated with method: Oakes  
## Second-order test: model is a possible local maximum  
## Condition number of information matrix = 145.9544  
##  
## Log-likelihood = -7977.316  
## Estimated parameters: 21  
## AIC = 15996.63  
## BIC = 16106.62; SABIC = 16039.92  
## G2 (5603) = 2790.19, p = 1  
## RMSEA = 0, CFI = NaN, TLI = NaN
```

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mirtMHpcm

```
##  
## Call:  
## mirt(data = tha_data_sx_ag$MH, model = 1, itemtype = "Rasch",  
##       SE = TRUE, verbose = FALSE)  
##  
## Full-information item factor analysis with 1 factor(s).  
## Converged within 1e-04 tolerance after 23 EM iterations.  
## mirt version: 1.37.1  
## M-step optimizer: nlminb  
## EM acceleration: Ramsay  
## Number of rectangular quadrature: 61  
## Latent density type: Gaussian  
##  
## Information matrix estimated with method: Oakes  
## Second-order test: model is a possible local maximum  
## Condition number of information matrix = 143.3808  
##  
## Log-likelihood = -10631.27  
## Estimated parameters: 25  
## AIC = 21312.53  
## BIC = 21443.48; SABIC = 21364.06  
## G2 (15599) = 4135.11, p = 1  
## RMSEA = 0, CFI = NaN, TLI = NaN
```

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coefPHpcm

```
## $items
##      a     b1     b2     b3     b4
## SF1_PH 1 -3.860 -2.528 0.256 2.815
## SF2A_PH 1  1.221  3.096   NA    NA
## SF2B_PH 1  1.487  3.145   NA    NA
## SF3A_PH 1 -0.350  1.288  2.477  3.130
## SF3B_PH 1 -0.320  1.376  2.802  3.235
## SF5_PH  1 -1.137  1.379  2.547  4.144
##
## $means
## F1
## 0
##
## $cov
##      F1
## F1 2.147
```

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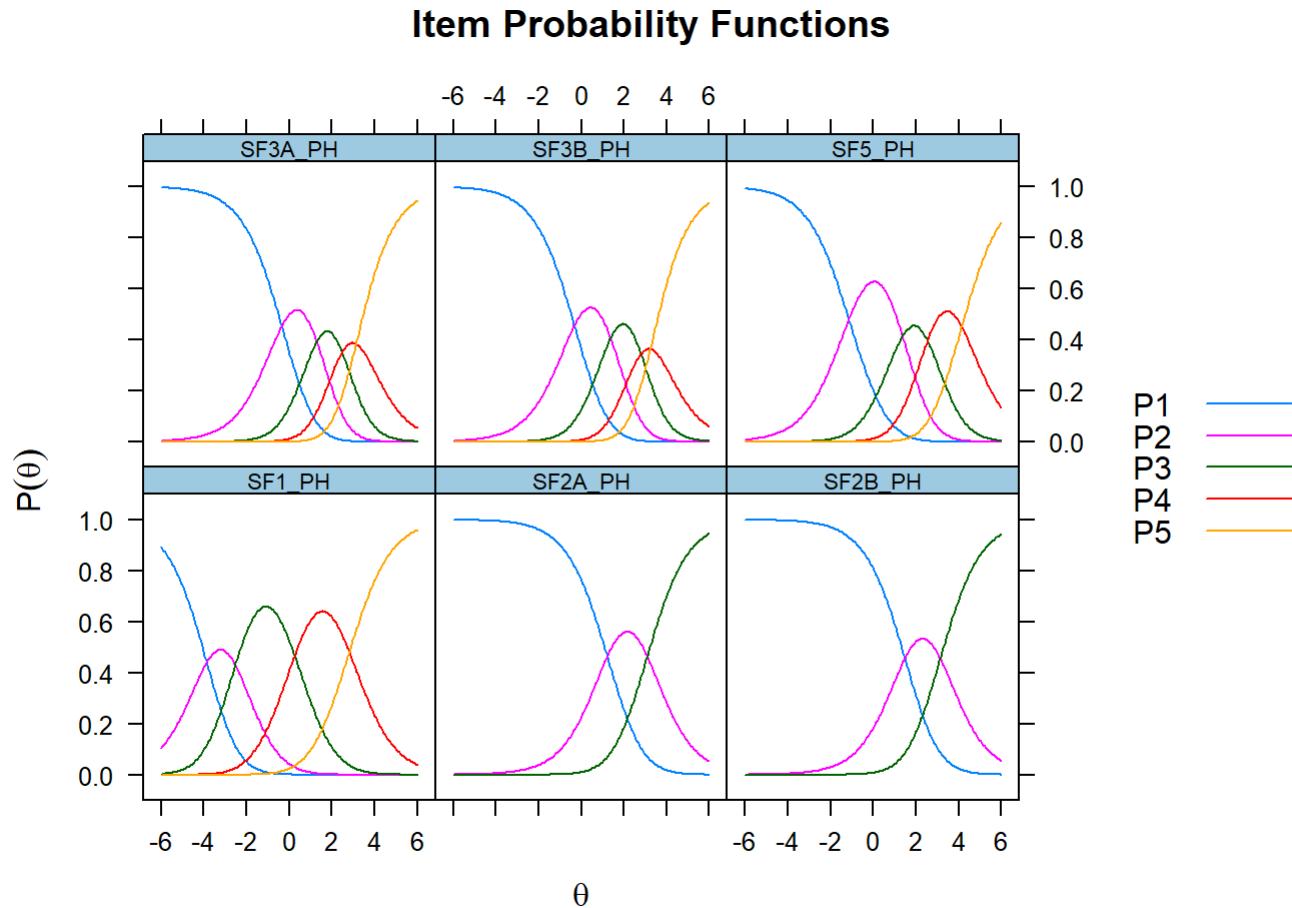
coefMHpcm

```
## $items
##      a     b1     b2     b3     b4
## SF4A_MH 1 -1.817 -0.894  0.152  0.445
## SF4B_MH 1 -1.798 -1.092 -0.035  0.325
## SF6A_MH 1 -2.607 -1.257 -0.278  3.155
## SF6B_MH 1 -1.704 -0.394  1.221  3.679
## SF6C_MH 1 -2.855 -2.502 -0.492  0.712
## SF7_MH  1 -1.845 -1.174  0.562  0.821
##
## $means
## F1
## 0
##
## $cov
##      F1
## F1 1.675
```

Visualize the results for all the items

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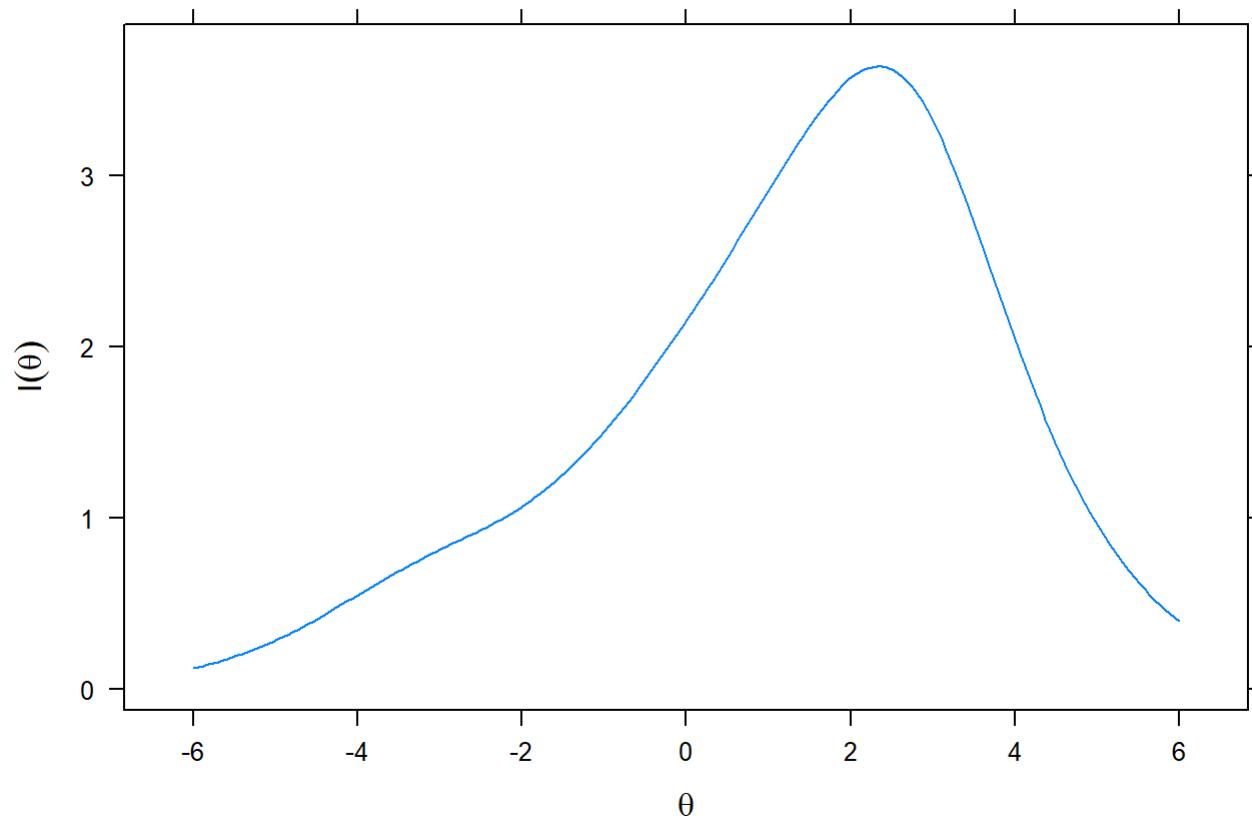
```
# Visualizations  
plot(mirtPHpcm, type = 'trace') # the category response curves
```



```
plot(mirtPHpcm, type = 'info') # test information
```

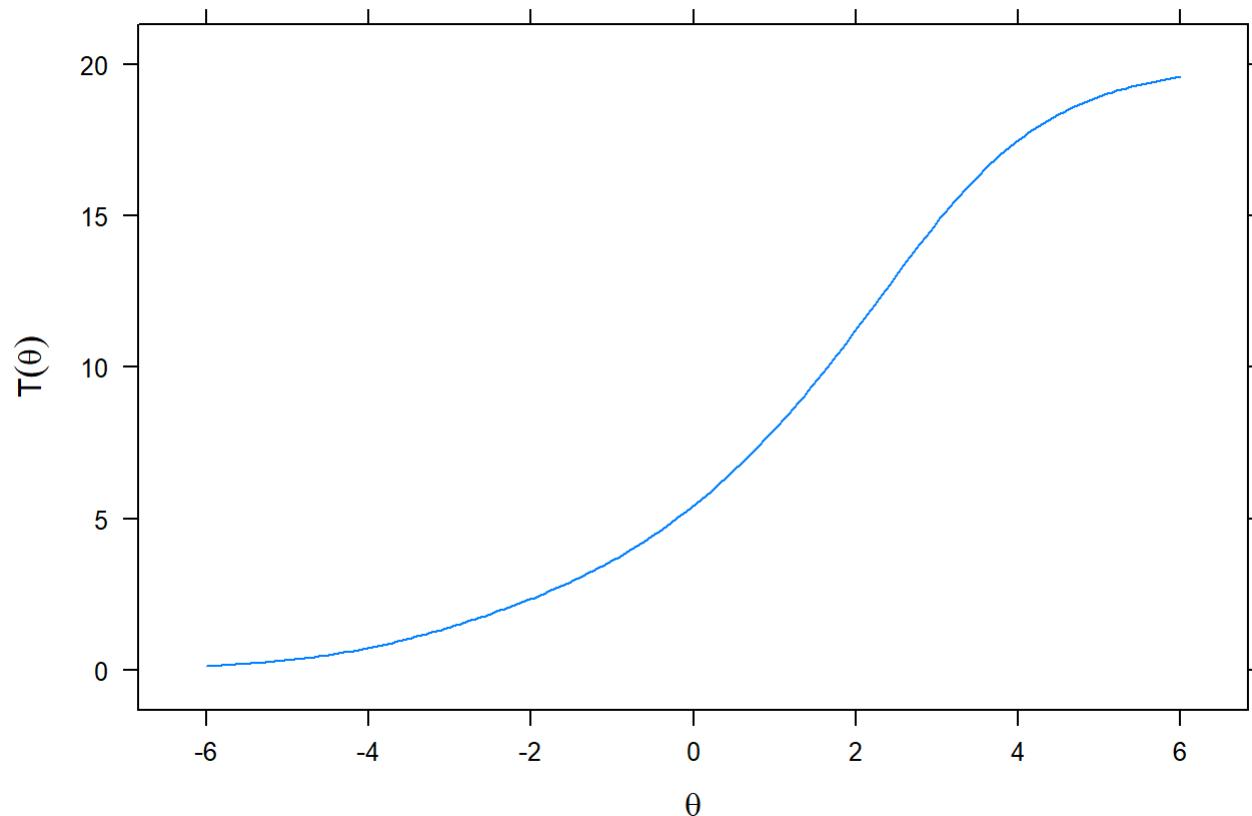
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## Test Information



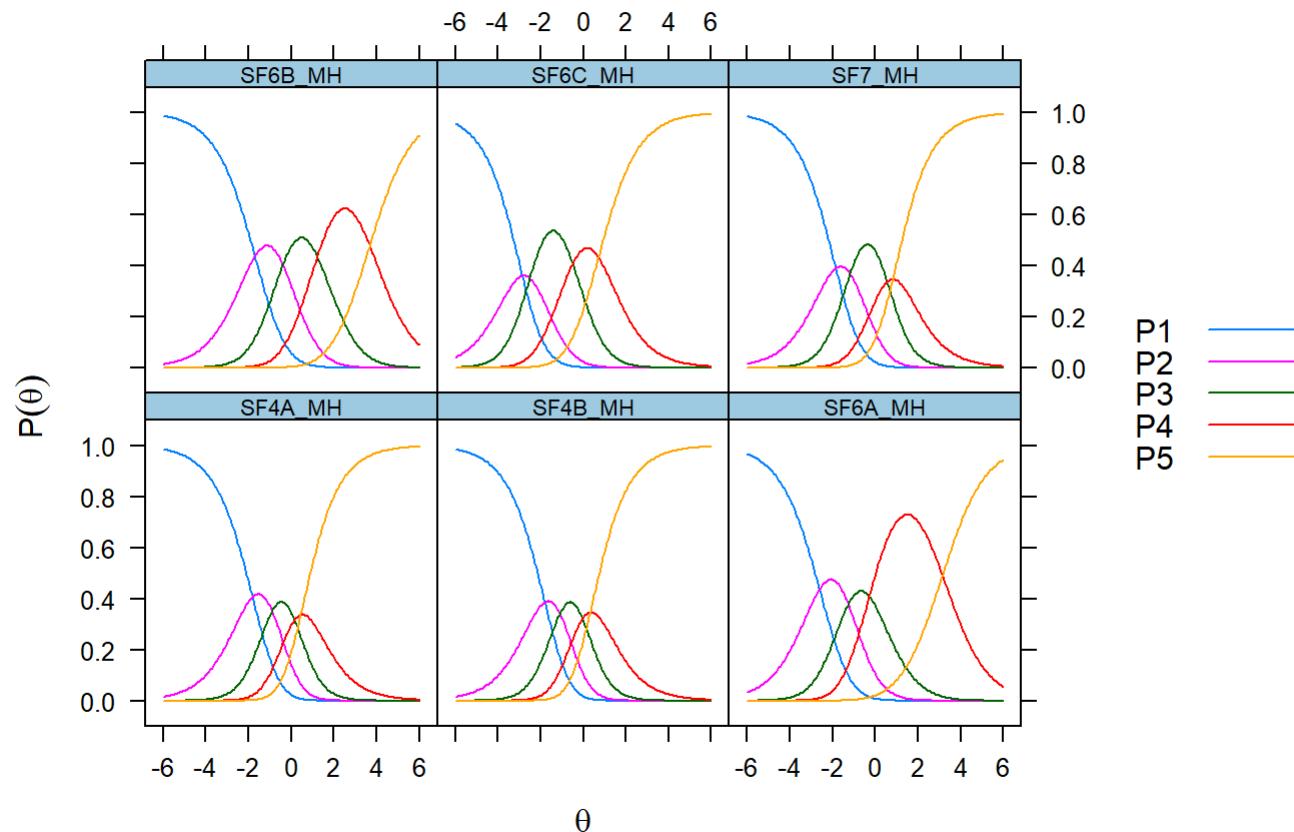
```
plot(mirtPHpcm)          # test score function
```

## Expected Total Score



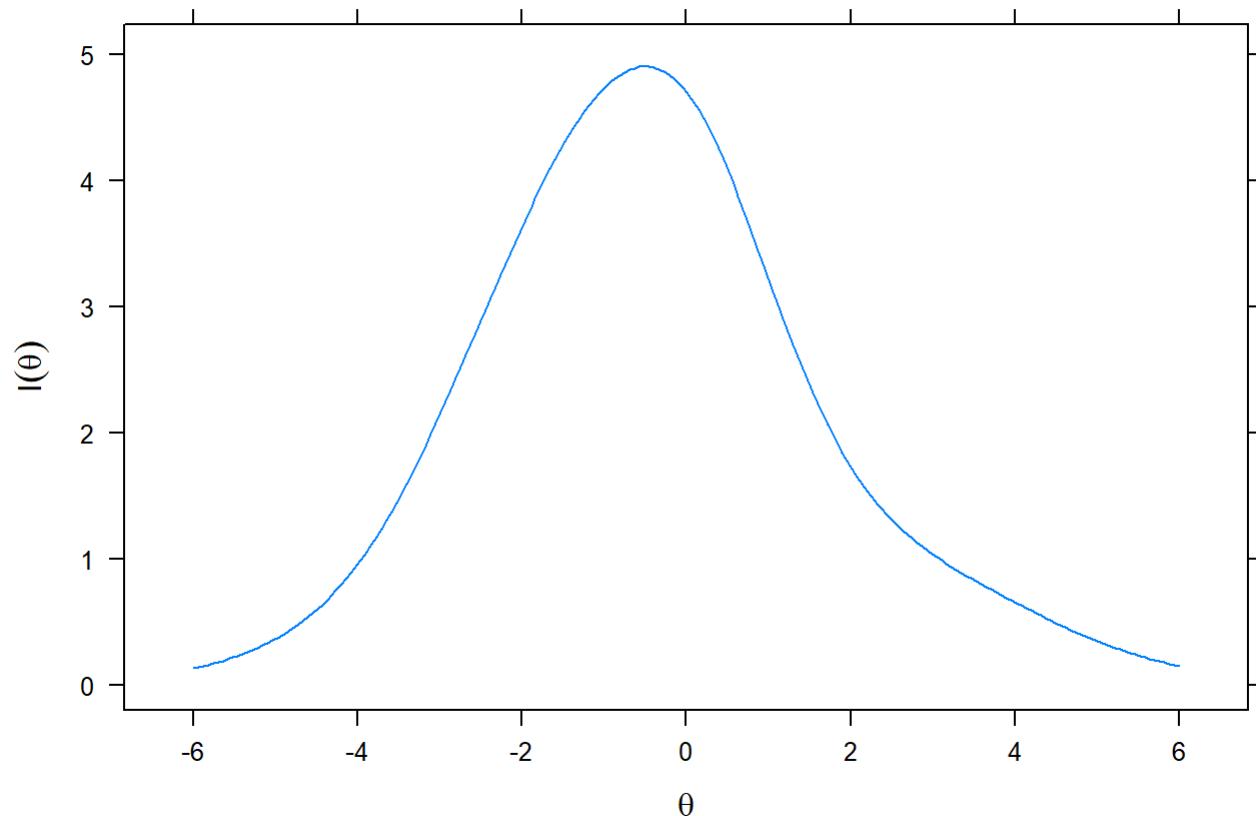
```
plot(mirtMHpcm, type = 'trace') # the category response curves
```

## Item Probability Functions



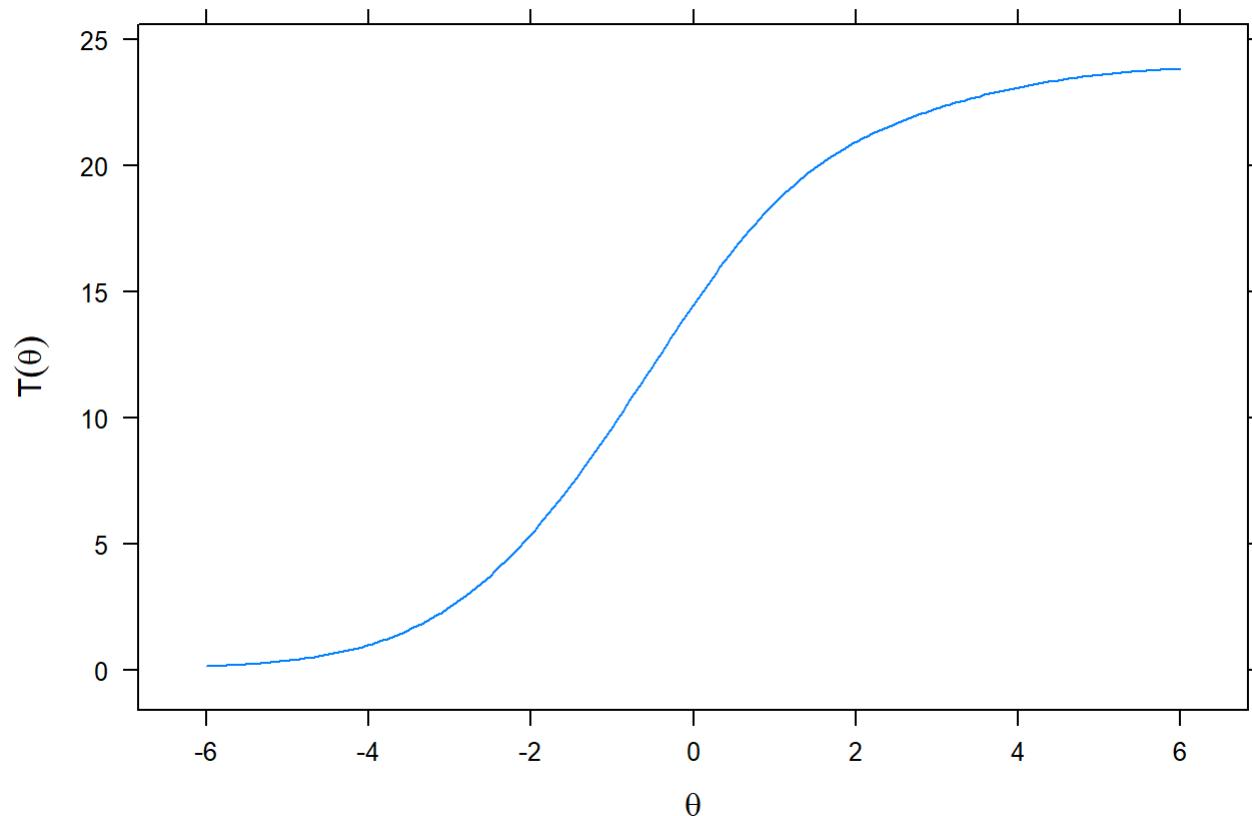
```
plot(mirtMHpcm, type = 'info') # test information
```

## Test Information



```
plot(mirtMHpcm)          # test score function
```

## Expected Total Score



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```
# Residuals  
residuals(mirtPHPCM)
```

```

## LD matrix (lower triangle) and standardized values.
##
## Upper triangle summary:
##   Min. 1st Qu. Median   Mean 3rd Qu.   Max.
## -0.306 -0.248  0.184  0.058  0.226  0.352
##
##           SF1_PH SF2A_PH SF2B_PH SF3A_PH SF3B_PH SF5_PH
## SF1_PH        NA -0.298 -0.259 -0.242 -0.253 -0.306
## SF2A_PH  246.884      NA  0.263  0.226  0.204  0.204
## SF2B_PH 186.390 192.856      NA  0.169  0.178  0.184
## SF3A_PH 326.103 142.687  79.087      NA  0.352  0.225
## SF3B_PH 355.958 115.903  88.535 688.821      NA  0.227
## SF5_PH  522.001 116.229  93.787 281.463 287.707      NA

```

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```
residuals(mirtMHpcm)
```

```

## LD matrix (lower triangle) and standardized values.
##
## Upper triangle summary:
##   Min. 1st Qu. Median   Mean 3rd Qu.   Max.
## -0.633 -0.180 -0.108 -0.031  0.190  0.390
##
##           SF4A_MH SF4B_MH SF6A_MH SF6B_MH SF6C_MH SF7_MH
## SF4A_MH        NA  0.390  0.156 -0.208  0.206 -0.127
## SF4B_MH  846.429      NA -0.194 -0.248  0.174 -0.166
## SF6A_MH 135.638 208.972      NA  0.208  0.339 -0.108
## SF6B_MH 240.363 341.574 240.481      NA -0.633 -0.099
## SF6C_MH 236.085 168.537 640.397 2229.350      NA -0.152
## SF7_MH   90.421 152.700  65.197  54.789 128.132      NA

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```
#----- Fit a partial credit tree model -----#
PHtree <- pctree(PH ~ Sex + age, data = tha_data_sx_ag, minsize = 200)
MHtree <- pctree(MH ~ Sex + age, data = tha_data_sx_ag, minsize = 200)
```

```
# Note: The minsize is an integer specification of minimum number of
#       observations in each node
```

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```
## print tree (with and without parameters)
print(PHtree)
```

```

## Partial credit tree
##
## Model formula:
## PH ~ Sex + age
##
## Fitted party:
## [1] root
## |   [2] Sex in Female: n = 717
## |       PHSF1_PH-C2  PHSF1_PH-C3  PHSF1_PH-C4  PHSF2A_PH-C1  PHSF2A_PH-C2  PHSF2B_PH-C1
## |       1.536073    5.525677   12.171975   5.421650    12.512268    5.820207
## |       PHSF2B_PH-C2  PHSF3A_PH-C1  PHSF3A_PH-C2  PHSF3A_PH-C3  PHSF3A_PH-C4  PHSF3B_PH-C1
## |       12.827443    3.753218   9.115246   15.666805   22.389673   3.745519
## |       PHSF3B_PH-C2  PHSF3B_PH-C3  PHSF3B_PH-C4  PHSF5_PH-C1  PHSF5_PH-C2  PHSF5_PH-C3
## |       9.103598    16.139197   22.789791   3.067056    8.416160   14.888342
## |       PHSF5_PH-C4
## |       23.265543
## |   [3] Sex in Male: n = 674
## |       PHSF1_PH-C2  PHSF1_PH-C3  PHSF1_PH-C4  PHSF2A_PH-C1  PHSF2A_PH-C2  PHSF2B_PH-C1
## |       0.5219573   4.0154517   10.0005184   4.0101747   10.1810146   4.1882881
## |       PHSF2B_PH-C2  PHSF3A_PH-C1  PHSF3A_PH-C2  PHSF3A_PH-C3  PHSF3A_PH-C4  PHSF3B_PH-C1
## |       10.4872277   2.4768077   6.6753057   12.1897425   18.6450957   2.5608968
## |       PHSF3B_PH-C2  PHSF3B_PH-C3  PHSF3B_PH-C4  PHSF5_PH-C1  PHSF5_PH-C2  PHSF5_PH-C3
## |       6.9300133   12.6806723   19.3311263   1.5606909   5.9414716   11.6042808
## |       PHSF5_PH-C4
## |       18.7363059
##
## Number of inner nodes: 1
## Number of terminal nodes: 2
## Number of parameters per node: 19
## Objective function (negative log-likelihood): 4320.052

```

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```
print(PHtree, FUN = function(x) " *")
```

```
## Partial credit tree
##
## Model formula:
## PH ~ Sex + age
##
## Fitted party:
## [1] root
## |   [2] Sex in Female *
## |   [3] Sex in Male *
##
## Number of inner nodes:    1
## Number of terminal nodes: 2
## Number of parameters per node: 19
## Objective function (negative log-likelihood): 4320.052
```

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```
print(MHtree)
```

```

## Partial credit tree
##
## Model formula:
## MH ~ Sex + age
##
## Fitted party:
## [1] root
## | [2] age <= 60: n = 477
## |   MHSF4A_MH-C2 MHSF4A_MH-C3 MHSF4A_MH-C4 MHSF4B_MH-C1 MHSF4B_MH-C2 MHSF4B_MH-C3
## |   1.3893052 3.8042314 6.6118448 -0.0485260 0.9971401 3.2940881
## |   MHSF4B_MH-C4 MHSF6A_MH-C1 MHSF6A_MH-C2 MHSF6A_MH-C3 MHSF6A_MH-C4 MHSF6B_MH-C1
## |   5.7857295 -0.4747603 0.5790457 2.7890057 8.6615263 0.1535538
## |   MHSF6B_MH-C2 MHSF6B_MH-C3 MHSF6B_MH-C4 MHSF6C_MH-C1 MHSF6C_MH-C2 MHSF6C_MH-C3
## |   1.8507865 5.0786605 11.7771317 -0.9949791 -1.0588313 0.5212918
## |   MHSF6C_MH-C4 MHSF7_MH-C1 MHSF7_MH-C2 MHSF7_MH-C3 MHSF7_MH-C4
## |   3.8730677 0.6135342 1.4594904 4.3958609 7.4761197
## | [3] age > 60: n = 914
## |   MHSF4A_MH-C2 MHSF4A_MH-C3 MHSF4A_MH-C4 MHSF4B_MH-C1 MHSF4B_MH-C2 MHSF4B_MH-C3
## |   0.61316619 2.22217588 4.15798449 0.03197709 0.55133092 1.93717938
## |   MHSF4B_MH-C4 MHSF6A_MH-C1 MHSF6A_MH-C2 MHSF6A_MH-C3 MHSF6A_MH-C4 MHSF6B_MH-C1
## |   3.82968172 -0.95168920 -0.69085971 0.40946232 5.08450781 0.05243723
## |   MHSF6B_MH-C2 MHSF6B_MH-C3 MHSF6B_MH-C4 MHSF6C_MH-C1 MHSF6C_MH-C2 MHSF6C_MH-C3
## |   1.23238944 4.11561215 9.37028998 -1.11298126 -2.11690155 -1.00447004
## |   MHSF6C_MH-C4 MHSF7_MH-C1 MHSF7_MH-C2 MHSF7_MH-C3 MHSF7_MH-C4
## |   1.05696985 -0.35223221 0.12666708 2.09673303 4.48712398
##
## Number of inner nodes: 1
## Number of terminal nodes: 2
## Number of parameters per node: 23
## Objective function (negative log-likelihood): 6351.613

```

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```
print(MHtree, FUN = function(x) " *")
```

```
## Partial credit tree
##
## Model formula:
## MH ~ Sex + age
##
## Fitted party:
## [1] root
## |   [2] age <= 60 *
## |   [3] age > 60 *
##
## Number of inner nodes:    1
## Number of terminal nodes: 2
## Number of parameters per node: 23
## Objective function (negative log-likelihood): 6351.613
```

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```
## show summary for terminal panel nodes
summary(PHtree)
```

```

## $`2`
##
## Partial credit model
##
## Item category parameters:
##           Estimate Std. Error z value Pr(>|z|)
## PHSF1_PH-C2    1.5361    0.5533   2.776   0.0055 **
## PHSF1_PH-C3    5.5257    1.0644   5.191  2.09e-07 ***
## PHSF1_PH-C4   12.1720    1.5893   7.659 1.88e-14 ***
## PHSF2A_PH-C1    5.4216    0.5306  10.218 < 2e-16 ***
## PHSF2A_PH-C2   12.5123    1.0720  11.672 < 2e-16 ***
## PHSF2B_PH-C1    5.8202    0.5331  10.917 < 2e-16 ***
## PHSF2B_PH-C2   12.8274    1.0755  11.927 < 2e-16 ***
## PHSF3A_PH-C1    3.7532    0.5245   7.155 8.35e-13 ***
## PHSF3A_PH-C2    9.1152    1.0479   8.699 < 2e-16 ***
## PHSF3A_PH-C3   15.6668    1.5796   9.918 < 2e-16 ***
## PHSF3A_PH-C4   22.3897    2.1151  10.586 < 2e-16 ***
## PHSF3B_PH-C1    3.7455    0.5245   7.141 9.23e-13 ***
## PHSF3B_PH-C2    9.1036    1.0477   8.689 < 2e-16 ***
## PHSF3B_PH-C3   16.1392    1.5844  10.186 < 2e-16 ***
## PHSF3B_PH-C4   22.7898    2.1204  10.748 < 2e-16 ***
## PHSF5_PH-C1    3.0671    0.5224   5.872 4.32e-09 ***
## PHSF5_PH-C2    8.4162    1.0443   8.059 7.67e-16 ***
## PHSF5_PH-C3   14.8883    1.5741   9.458 < 2e-16 ***
## PHSF5_PH-C4   23.2655    2.1564  10.789 < 2e-16 ***
## ---
## Signif. codes:  0 '****' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Log-likelihood: -2088 (df = 19)
## Number of iterations in BFGS optimization: 31
##
##
## $`3`
##
## Partial credit model
##
## Item category parameters:
##           Estimate Std. Error z value Pr(>|z|)
## PHSF1_PH-C2    0.5220    0.4166   1.253     0.21

```

```
## PHSF1_PH-C3  4.0155   0.7630   5.263 1.42e-07 ***
## PHSF1_PH-C4  10.0005  1.1287   8.860 < 2e-16 ***
## PHSF2A_PH-C1 4.0102   0.3726   10.764 < 2e-16 ***
## PHSF2A_PH-C2 10.1810  0.7509   13.559 < 2e-16 ***
## PHSF2B_PH-C1 4.1883   0.3735   11.215 < 2e-16 ***
## PHSF2B_PH-C2 10.4872  0.7542   13.904 < 2e-16 ***
## PHSF3A_PH-C1 2.4768   0.3675   6.740 1.59e-11 ***
## PHSF3A_PH-C2 6.6753   0.7275   9.175 < 2e-16 ***
## PHSF3A_PH-C3 12.1897  1.0966   11.116 < 2e-16 ***
## PHSF3A_PH-C4 18.6451  1.4786   12.610 < 2e-16 ***
## PHSF3B_PH-C1 2.5609   0.3676   6.966 3.27e-12 ***
## PHSF3B_PH-C2 6.9300   0.7287   9.510 < 2e-16 ***
## PHSF3B_PH-C3 12.6807  1.1001   11.527 < 2e-16 ***
## PHSF3B_PH-C4 19.3311  1.4874   12.997 < 2e-16 ***
## PHSF5_PH-C1  1.5607   0.3633   4.295 1.74e-05 ***
## PHSF5_PH-C2  5.9415   0.7210   8.241 < 2e-16 ***
## PHSF5_PH-C3  11.6043  1.0900   10.646 < 2e-16 ***
## PHSF5_PH-C4  18.7363  1.4859   12.610 < 2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Log-likelihood: -2232 (df = 19)
## Number of iterations in BFGS optimization: 30
```

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```
summary(MHtree)
```

```

## $`2`
##
## Partial credit model
##
## Item category parameters:
##           Estimate Std. Error z value Pr(>|z|)
## MHSF4A_MH-C2  1.38931   0.28349  4.901 9.55e-07 ***
## MHSF4A_MH-C3  3.80423   0.48802  7.795 6.43e-15 ***
## MHSF4A_MH-C4  6.61184   0.70432  9.388 < 2e-16 ***
## MHSF4B_MH-C1 -0.04853   0.30058 -0.161  0.8717
## MHSF4B_MH-C2  0.99714   0.46515  2.144  0.0321 *
## MHSF4B_MH-C3  3.29409   0.66342  4.965 6.86e-07 ***
## MHSF4B_MH-C4  5.78573   0.87121  6.641 3.12e-11 ***
## MHSF6A_MH-C1 -0.47476   0.31601 -1.502  0.1330
## MHSF6A_MH-C2  0.57905   0.47494  1.219  0.2228
## MHSF6A_MH-C3  2.78901   0.66845  4.172 3.01e-05 ***
## MHSF6A_MH-C4  8.66153   0.91636  9.452 < 2e-16 ***
## MHSF6B_MH-C1  0.15355   0.26863  0.572  0.5676
## MHSF6B_MH-C2  1.85079   0.45238  4.091 4.29e-05 ***
## MHSF6B_MH-C3  5.07866   0.66474  7.640 2.17e-14 ***
## MHSF6B_MH-C4 11.77713   0.97357 12.097 < 2e-16 ***
## MHSF6C_MH-C1 -0.99498   0.43570 -2.284  0.0224 *
## MHSF6C_MH-C2 -1.05883   0.55313 -1.914  0.0556 .
## MHSF6C_MH-C3  0.52129   0.71665  0.727  0.4670
## MHSF6C_MH-C4  3.87307   0.90890  4.261 2.03e-05 ***
## MHSF7_MH-C1   0.61353   0.28038  2.188  0.0287 *
## MHSF7_MH-C2   1.45949   0.45078  3.238  0.0012 **
## MHSF7_MH-C3   4.39586   0.65992  6.661 2.72e-11 ***
## MHSF7_MH-C4   7.47612   0.87539  8.540 < 2e-16 ***
##
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Log-likelihood: -2122 (df = 23)
## Number of iterations in BFGS optimization: 34
##
## $`3`
##
## Partial credit model

```

```

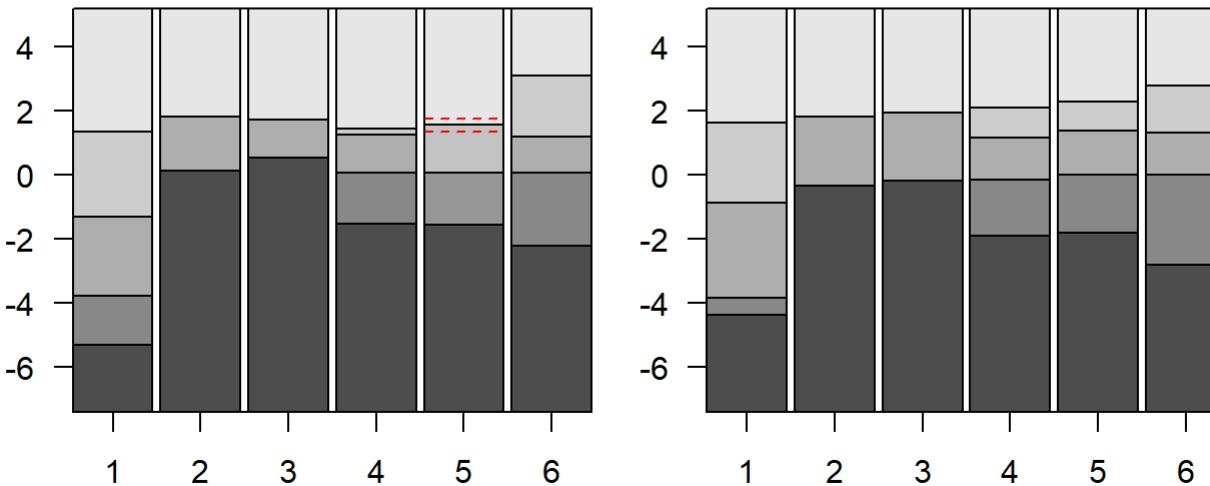
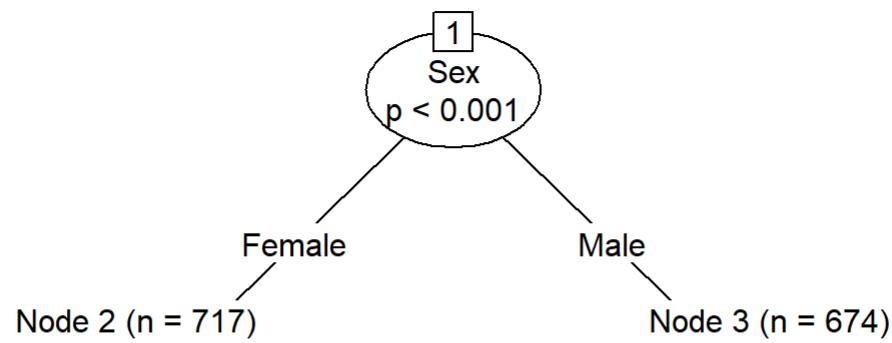
## 
## Item category parameters:
##           Estimate Std. Error z value Pr(>|z|)
## MHSF4A_MH-C2  0.61317   0.20926  2.930 0.003388 **
## MHSF4A_MH-C3  2.22218   0.34343  6.471 9.76e-11 ***
## MHSF4A_MH-C4  4.15798   0.48604  8.555 < 2e-16 ***
## MHSF4B_MH-C1  0.03198   0.19533  0.164 0.869960
## MHSF4B_MH-C2  0.55133   0.30819  1.789 0.073630 .
## MHSF4B_MH-C3  1.93718   0.44177  4.385 1.16e-05 ***
## MHSF4B_MH-C4  3.82968   0.58240  6.576 4.84e-11 ***
## MHSF6A_MH-C1 -0.95169   0.22666 -4.199 2.68e-05 ***
## MHSF6A_MH-C2 -0.69086   0.32682 -2.114 0.034523 *
## MHSF6A_MH-C3  0.40946   0.45158  0.907 0.364549
## MHSF6A_MH-C4  5.08451   0.60784  8.365 < 2e-16 ***
## MHSF6B_MH-C1  0.05244   0.17648  0.297 0.766372
## MHSF6B_MH-C2  1.23239   0.30266  4.072 4.66e-05 ***
## MHSF6B_MH-C3  4.11561   0.44903  9.166 < 2e-16 ***
## MHSF6B_MH-C4  9.37029   0.64621 14.500 < 2e-16 ***
## MHSF6C_MH-C1 -1.11298   0.30533 -3.645 0.000267 ***
## MHSF6C_MH-C2 -2.11690   0.37275 -5.679 1.35e-08 ***
## MHSF6C_MH-C3 -1.00447   0.48332 -2.078 0.037683 *
## MHSF6C_MH-C4  1.05697   0.60975  1.733 0.083014 .
## MHSF7_MH-C1 -0.35223   0.19741 -1.784 0.074384 .
## MHSF7_MH-C2  0.12667   0.30943  0.409 0.682280
## MHSF7_MH-C3  2.09673   0.44546  4.707 2.52e-06 ***
## MHSF7_MH-C4  4.48712   0.58841  7.626 2.42e-14 ***
## ---
## Signif. codes:  0 '****' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## 
## Log-likelihood: -4230 (df = 23)
## Number of iterations in BFGS optimization: 30

```

Visualize the results for all the items

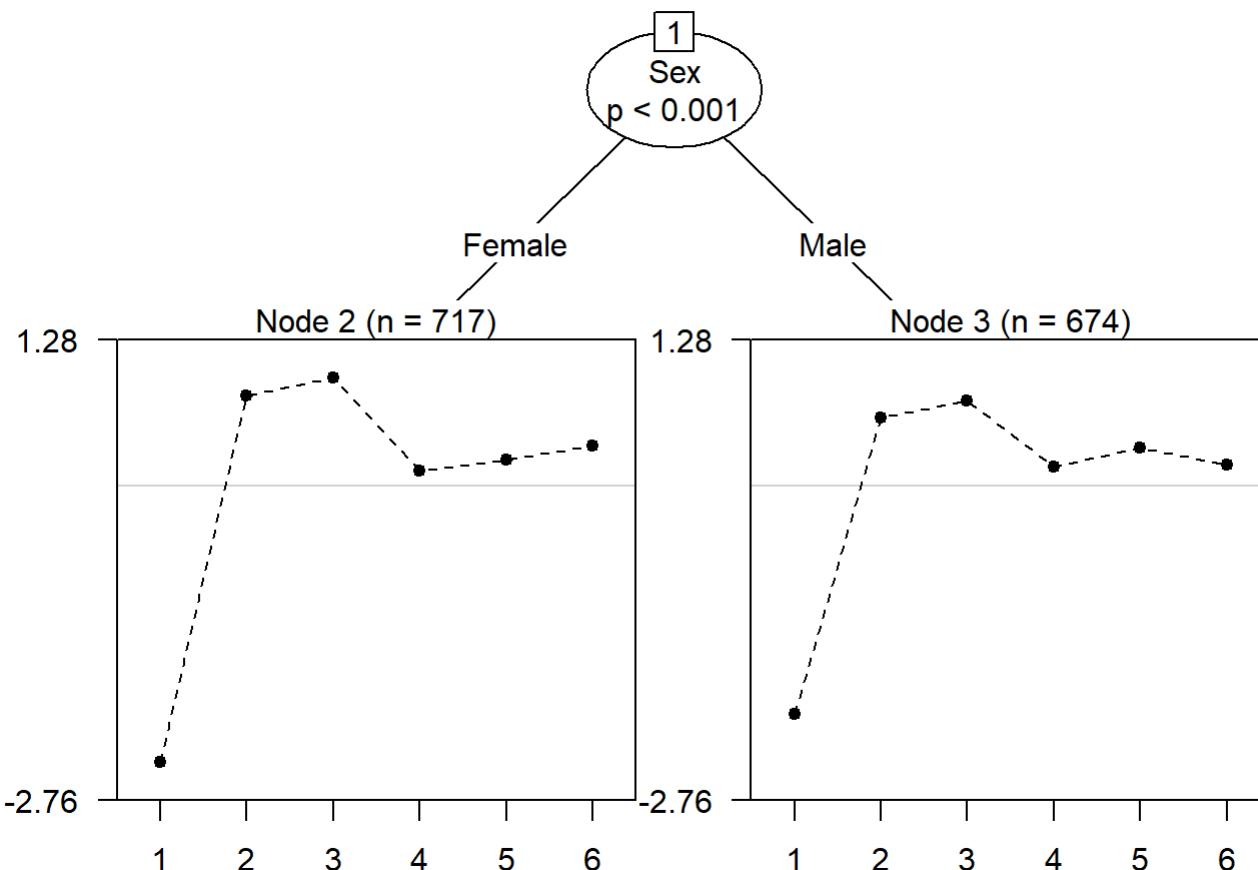
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```
plot(PHtree, type = "regions")
```



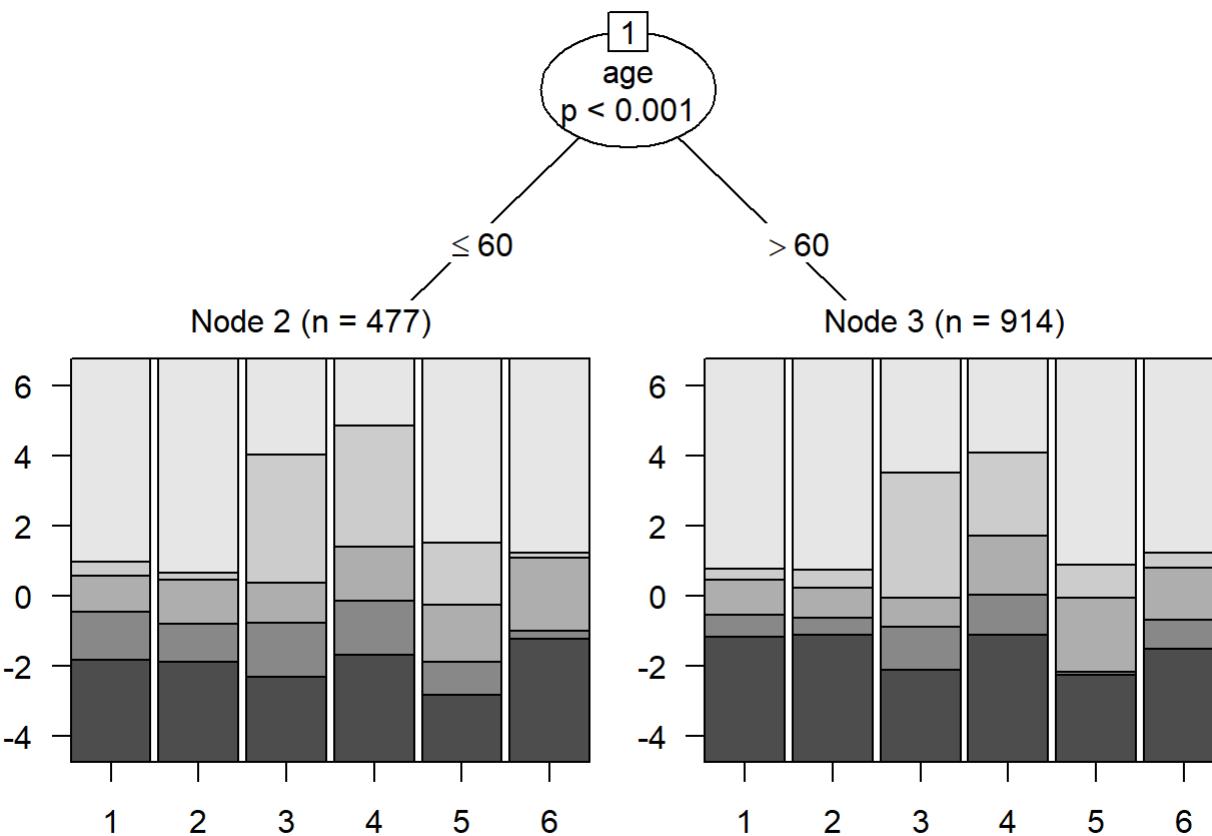
Hide

```
plot(PHtree, type = "profile")
```



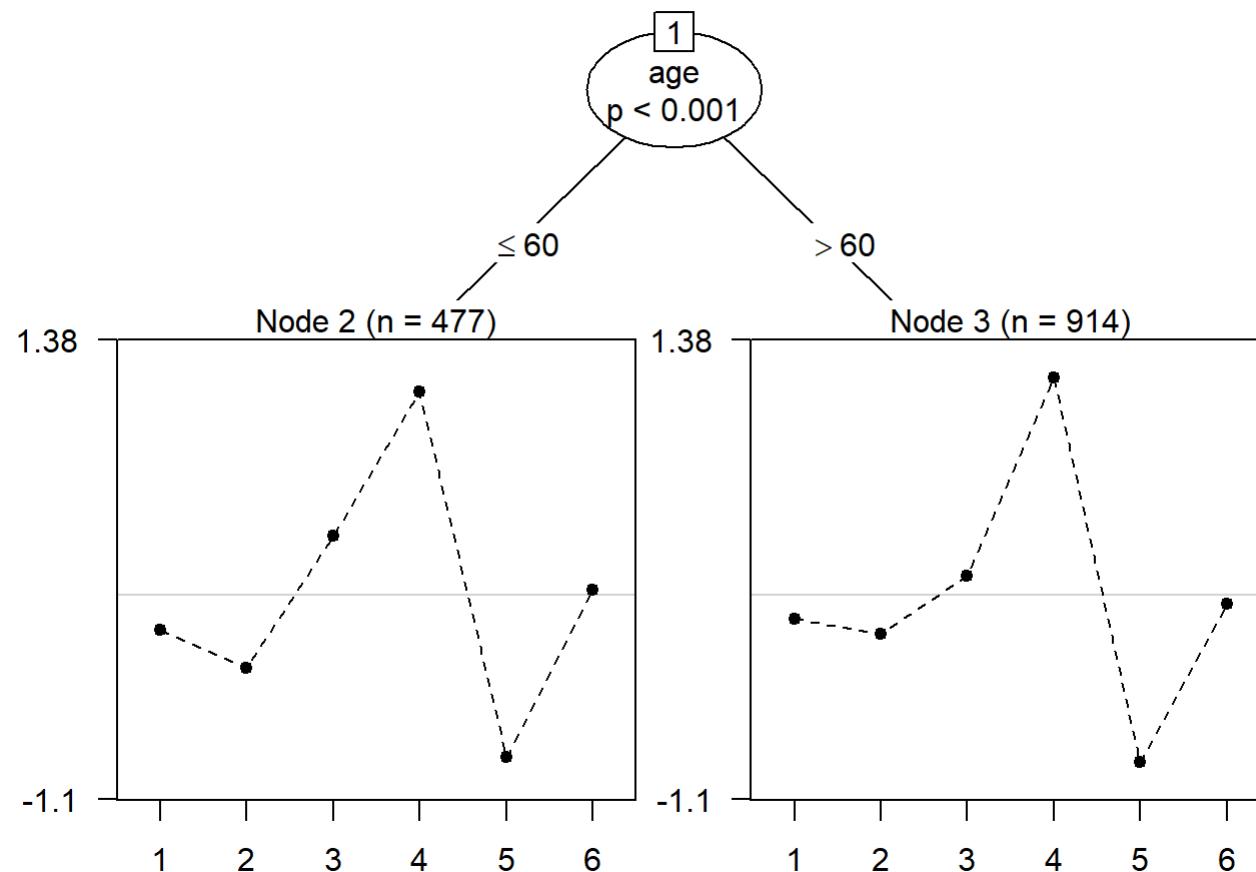
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```
plot(MHtree, type = "regions")
```



Hide

```
plot(MHtree, type = "profile")
```



Inspect parameter stability tests in the splitting node

[Hide](#)

```
sctest(PHtree, node = 1)
```

```
##           Sex      age
## statistic 4.723498e+01 49.55706284
## p.value   6.610836e-04 0.01104046
```

[Hide](#)

```
sctest(MHtree, node = 1)
```

```
##           Sex          age
## statistic 43.8877030 6.621059e+01
## p.value    0.0108204 2.808721e-04
```